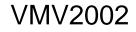
#### **Non-Uniform Hierarchical Pyramid Stereo for Large Images**

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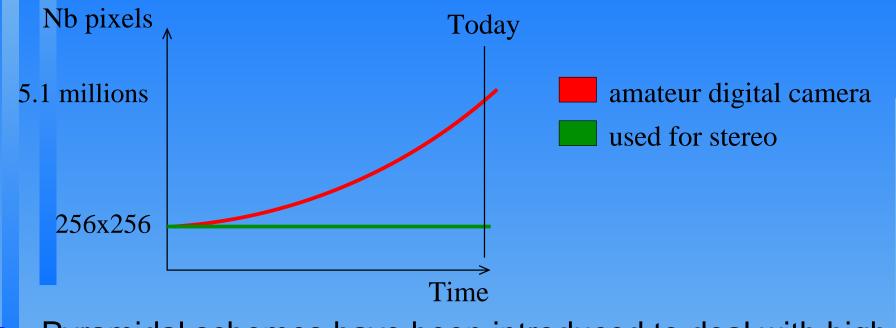




## **Overview**

- Introduction.
- Classical pyramids.
- Error classification.
- Dealing with errors.
- The algorithm.
- Experimental results.
- Conclusion.

#### Introduction Motivation



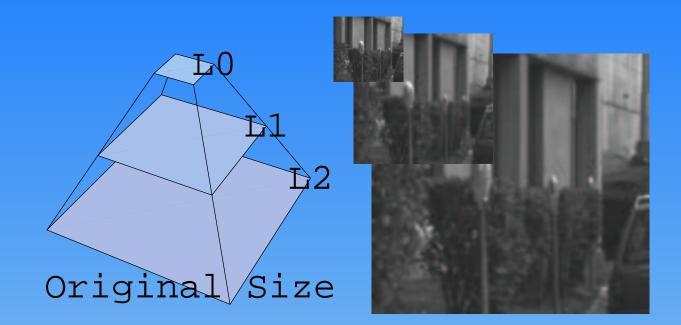
- Pyramidal schemes have been introduced to deal with high resolution images.
- Pyramidal schemes suffer from error propagation.
- We want to minimize error propagation between pyramid levels.

#### Introduction Pixel based stereo



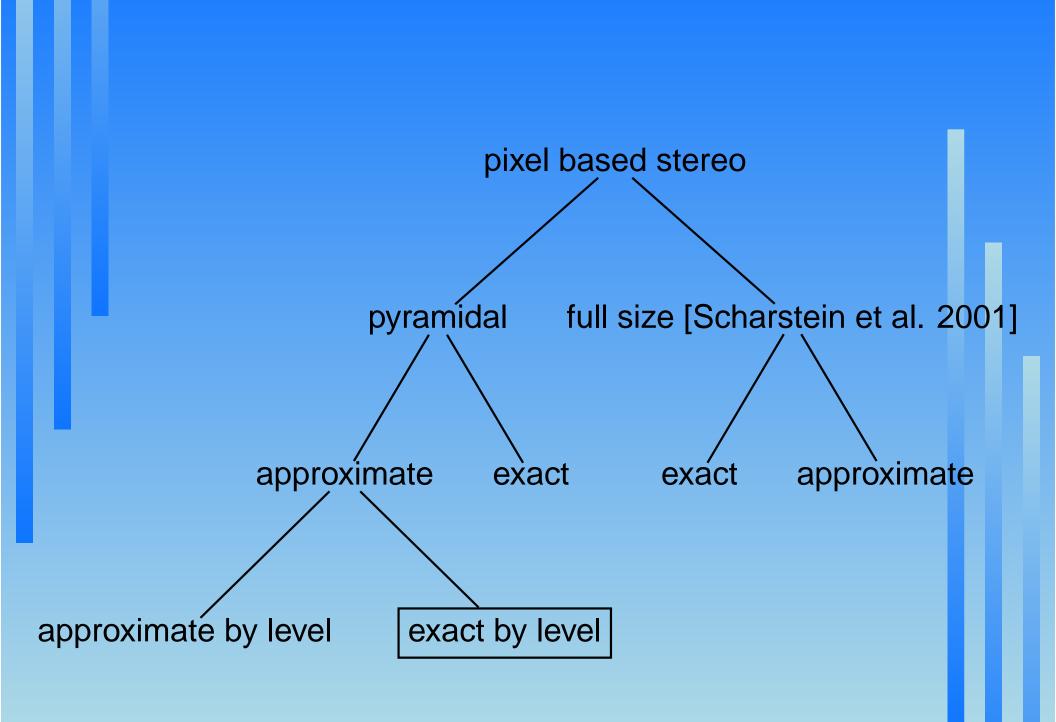
- For each pixel in the left image we try to find the corresponding pixel in the right image.
- The resulting displacement for that pixel (disparity) represents the distance between the object and the reference camera.

## Introduction Pyramid



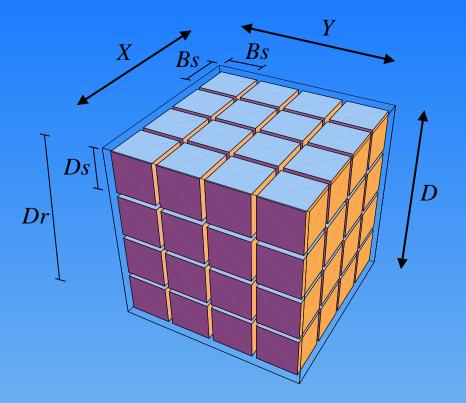
- L0 is solved first.
- L1 is then solved using the result of L0 as an initialization.
- L2 is then solved using the result of L1 as an initialization.
- There can be more than 3 levels.

Algorithm	Smoothing term	Solution
direct search	no smoothing	exact
dynamic programing	epipolar line	exact
maximum flow	convex	exact
graph cut	non-convex (robust)	approximate



#### **Problem space** Description

8



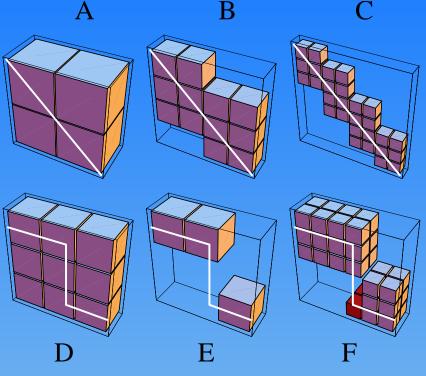
- (X, Y) plane is the disparity map with block size  $B_s$ .
- Axis D is the disparity to assign over a range  $D_r$  and disparity step  $D_s$ .

#### Classical Pyramid How it work

Simultaneously increase the spatial and disparity resolution while reducing the disparity range.

- level 0 is over the full disparity range (absolute mode).
- level 1,2 is over an interval around the previous solution (relative mode).

## **Classical Pyramid** error classification

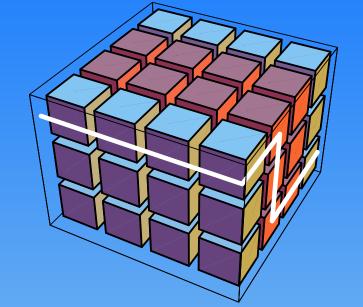


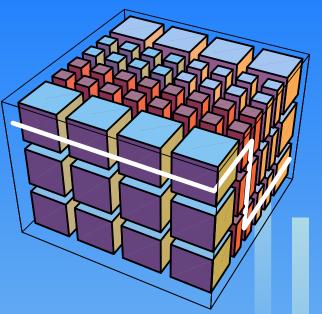
Two kinds of error:

(A-C) Smooth surface error (can be recovered by classic pyramid).

(D-F) Discontinuity localization error (cannot be recovered by classic pyramid).

#### **Dealing with error** discontinuity localization error

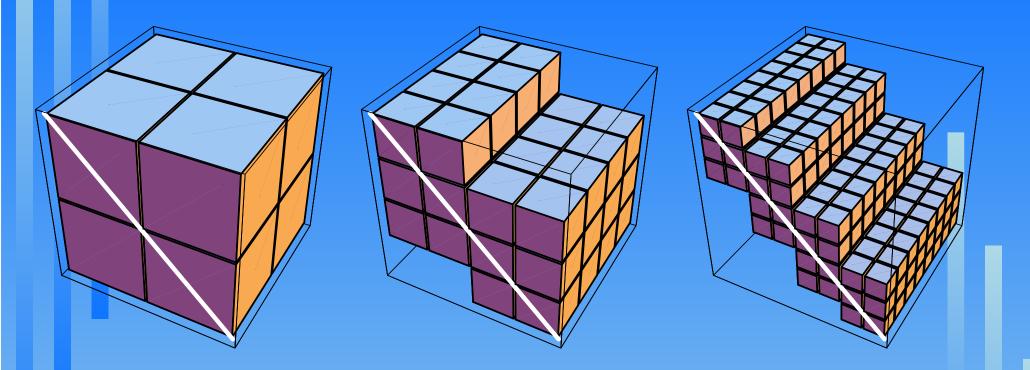




Increase spatial resolution at large discontinuities.

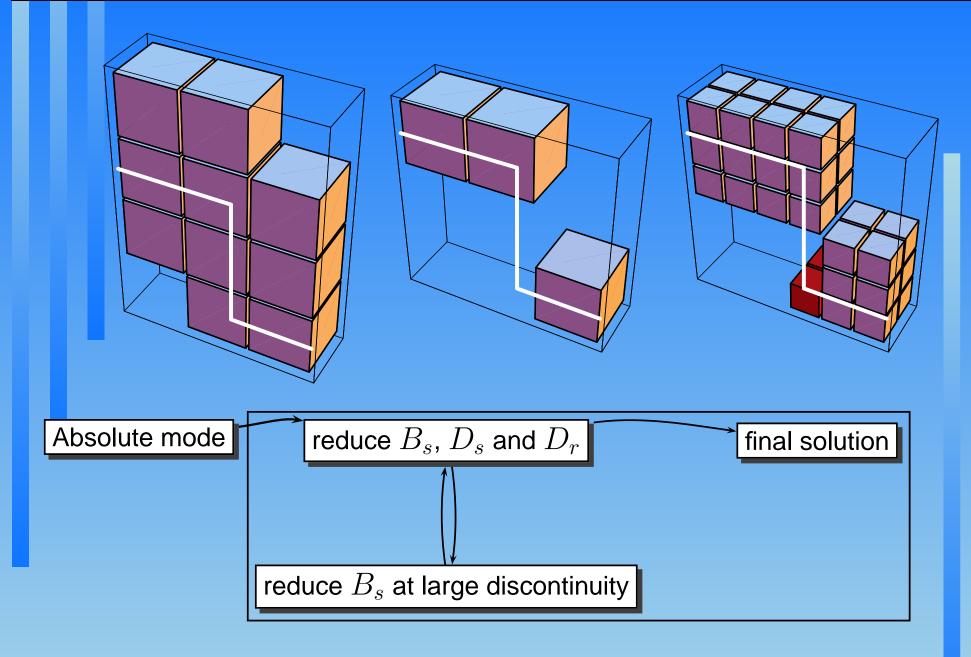
- A depth discontinuity is large if it is greater than a threshold.
- Keep subdividing until border localization is at one pixel resolution.
- The increase of the solution space is small.

#### **Dealing with error** smooth surface error

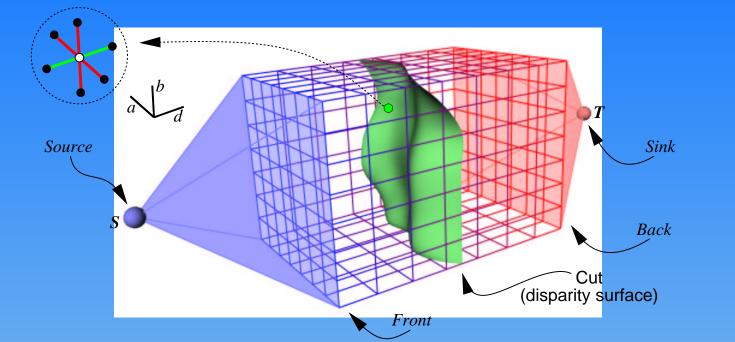


- Increase spatial and disparity resolutions simultaneously.
- Use relative mode to keep solution space under control.
- Prevent large discontinuity error from reappearing.

# Dealing with error smooth surface error

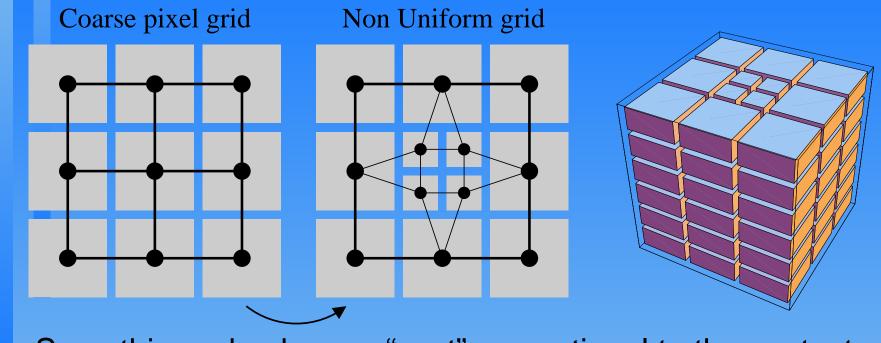


## The algorithm Stereo with Maximum-Flow



- Disparity map in the solution space represented as a cut in a graph.
- Finds sharp depth discontinuity.
- Features an arbitrary neighborhood structure independent of the epipolar constraint.

### The algorithm A graph formulation

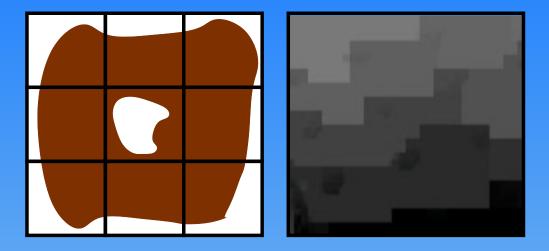


Smoothing edge have a "cost" proportional to the contact surface.

• Regularity of the graph allows an memory efficient implementation.

Our goal is to demonstrate the usefulness of Non-Uniform decomposition.

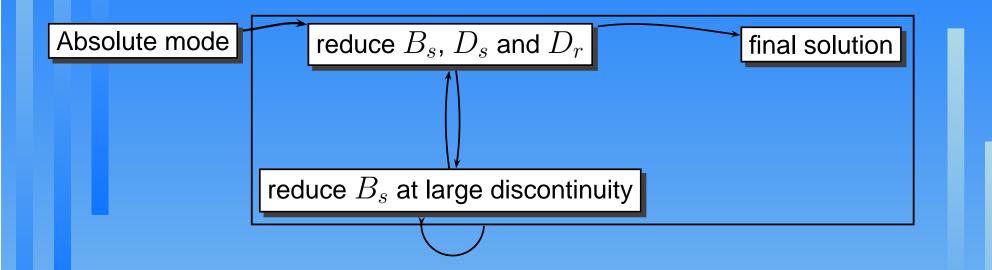
- A simple cost function based on block matching and SSD is used.
- There is no explicit modeling of occlusion.
- There is no adaptive smoothing.



Too coarse initial grid or too large threshold value can have a significant impact on the quality of the final solution.

- missing large depth discontinuities.
- pixelized smooth surfaces.

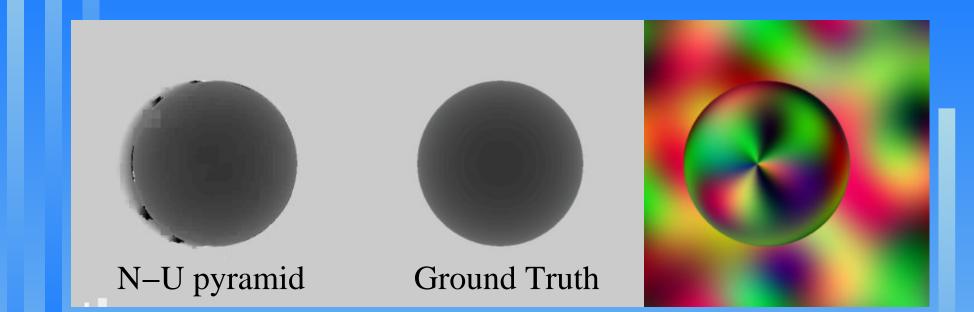
## The algorithm Limitations



Not all depth discontinuity errors are removed in the absolute phase.

 During the relative phase, extra iterations could be needed to get rid of them.

# Experimental Results Synthetic



- Resolution  $512 \times 512$  and 64 disparity steps (17 millions nodes ).
- Running time is about 10 sec on AMD Athlon 1.4Ghz.
- 200 000 elementary operations (100 million for the full size problem solved by Max-flow).

## Experimental Results Synthetic



Non-Uniform and Uniform have the same running time.

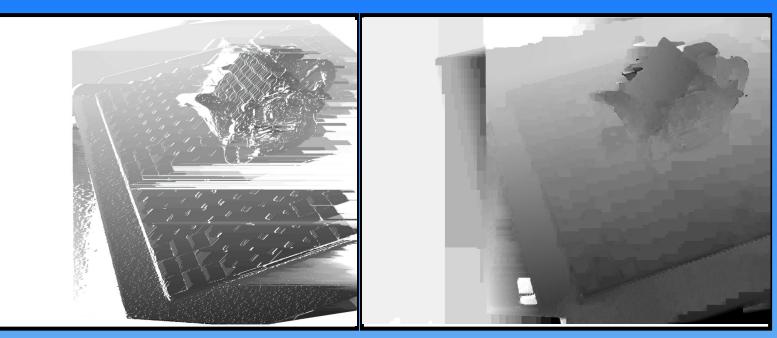
 MRSS [C.Sun, 99] uses Non-Uniform decomposition in order to speed-up computation but does not model large discontinuities.

## Experimental Results Tea-Pot

- Courtesy of Jean-Yves Bouguet.
- Resolution  $2048 \times 1536$ .
- 400 disparity step.
- $400^{3145728}$  possible configuration.
- Graph size over a billion nodes.
- Important occlusion zones.
- Specular components.
- Texture less slanted surface.



## Experimental Results Tea-Pot

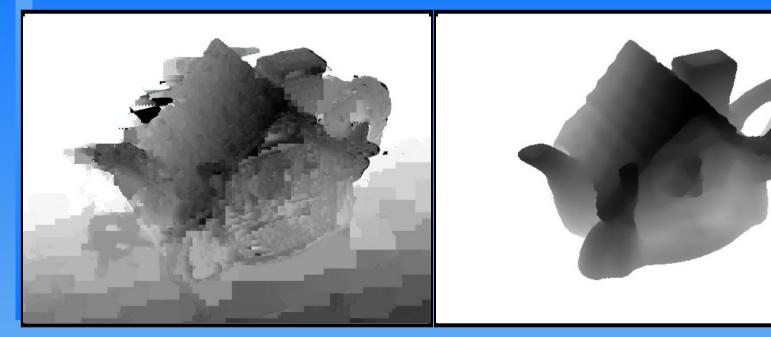


**Dynamic Programming** 

N–U Pyramid

Cox algorithm was used for the dynamic programming.

# Experimental Results Tea-Pot



#### N–U Pyramid

#### Ground Truth

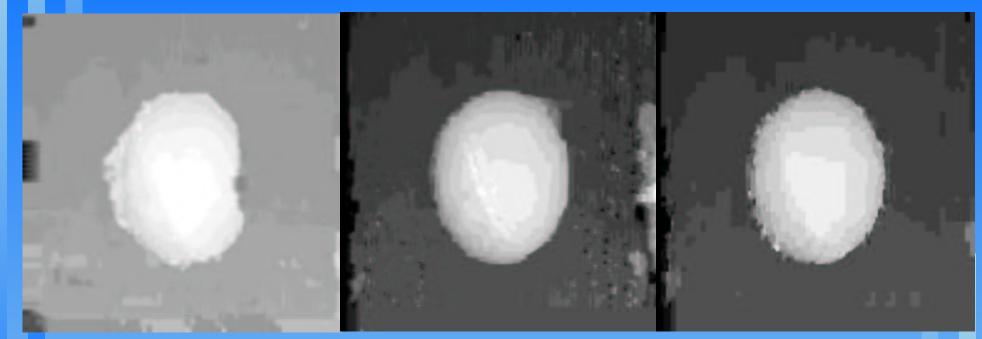
Ground Truth is obtained by structured light (Jean-Yves Bouguet).

# Experimental Results Baseball

- Courtesy of Bill Hoff.
- Resolution of  $256 \times 256$ .
  - 18 disparity step.
- Highly textured.
- Exposure variation between images.
- Sharp contours.



## **Experimental Results** Baseball



#### MRRS

#### Max–Flow

#### N–U Pyramid

- 9.4 million elementary operations for Max-flow.
- .57 million elementary operations for Non-Uniform pyramid.

- A pyramid scheme that alternates the computational effort between border localization and surface smoothness.
  - Stability and efficiency of pyramid scheme.
  - Border localization typical of exact approaches.
- We extend Maximum-flow to allow solving very large problems efficiently while preserving the quality of the solution.

A pyramid scheme that is guaranted to find the exact solution of the original full size problem.

Adaptive and automatic determination of the smoothing factor and threshold value.